

CLASS11 MID TERM XAM

PHYSICS MARKING SCHEME

1 marks

[1][b][2] d [3]a [4]b [5] a [6] c [7] b [8]c [9] b [10] c

2 marks

[11]

$$T = \frac{2m_1m_2g}{m_1+m_2}$$

Yes [1/2], m_1 , m_2 , g [1 1/2 marks]

[12].

Graph both positive and negative

Graph only positive side

[13] definition of v ins

Slope of the tangent

$$[14] S_1 = 2t + \frac{1}{2}gt^2$$

$$S_2 = \frac{1}{2}gt^2$$

$$S_1 - S_2 = 20 [1/2] = 2t \text{ or } t = 10 \text{ s}$$

OR

$$S = ut + \frac{1}{2}gt^2 = -4.5 \times 5 + \frac{1}{2} \times 9.8 \times [5]^2 = 100\text{m}$$

[15]

$$\cos\Theta = \frac{\mathbf{a} \cdot \mathbf{b}}{ab} = \frac{3\sqrt{2}}{3 \times 2} \text{ or } \Theta = 45^\circ$$

[16] unit vector

difference between scalar and vector product of 2 vectors

[17] diagram labelled

derivation the maximum height reached by a projectile

final answer

3 marks

[18] dimension of $P = ML^{-1} T^{-2}$

dimension of $a = ML^5 T^{-2}$

Dimension of $b = L^3$

[19] $V = u + at$

$0 = 20 - 9.8 t_1$ or $t_1 = 2.04s$

$S = ut + \frac{1}{2} gt^2$

Height reached $S = 20 \times 2.04 - \frac{1}{2} \times 9.8 \times [2.04 \times 2.04] = 40.8 - 20.39 = 20.41m$

Time to reach ground $= 45.41 = \frac{1}{2} g \times t_2^2$

$t_2 = 3.1s$

total time $= 2.04 + 3.1 = 6.05 s$

[20]

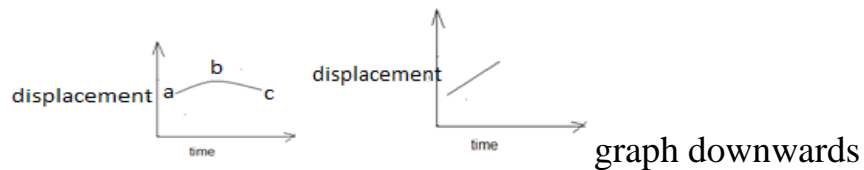
Distance covered by the man in t sec $= 10t$

Distance covered by bus in t s $= \frac{1}{2} 1 \times t^2$

Ie $48 + t^2 = 10t$

Solve to find t as 8 sec

[21]



[22]

'a' and angular acceleration ' α '

[23] triangle law of vector addition. R' of 2 vectors 'P' & 'Q' makes angle ' θ ' between them.

[24]

$$\text{horizontal range} = \frac{u^2 \sin 2\theta}{g} = \frac{[40]^2 \sin 2 \times 45}{10} = 160 \text{m}$$

$$BC = 340 - AB = 340 - 160 = 180 \quad \& \quad V = BC/t = 180/t \quad \text{---[1]}$$

$$2u \sin \frac{\theta}{g} = t$$

$$80 \sin 45 = t \text{ or } t = 56.5 \text{ s}$$

$$\text{And } v = 180/56.5 = 3.18 \text{m/s}$$

OR

$$200t = 400 \sin \theta \quad \text{or } \theta = 30$$

[25][a] any 2 uses of dimensions.

[b]

$$T = k r^x m^y G^z$$

$$T = L^x M^y [M^{-1} T^{-2} L^3]^z$$

$$Z = -1/2, x = 3/2, y = -1/2$$

OR

[a] limitations of dimensions [any 2]

[b]

$$V = K [ML^{-1} T^{-2}]^x [ML^{-3}]^y$$

$$X = 1/2 \text{ and } y = -1/2$$

$$X = -y$$

[26][a] velocity- time graph,

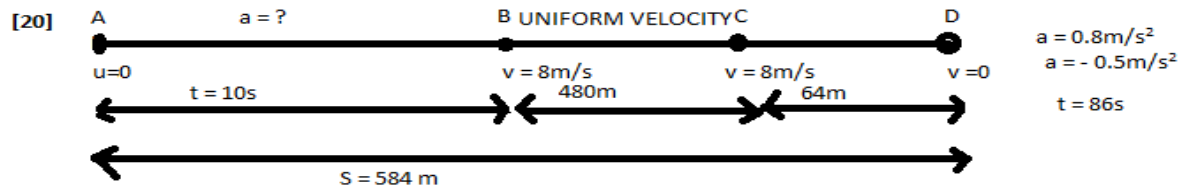
$$[i] V = U + at \quad [ii] S = ut + \frac{1}{2} at^2$$

[b] No, [i] in circular motion-after one complete rotation. [ii] in vertical motion- a stone is thrown vertically upwards and received by the thrower

OR

[a] the equation $V^2 = U^2 + 2as$

[b] A car starts from rest and accelerates uniformly for 10s to a velocity of 8m/s. It then returns at a constant velocity and is finally brought to rest in 64m with constant retardation. The total distance travelled by the car is 584m. Find the acceleration, retardation, and the total time taken?



[27][a trajectory of a projectile? a projectile is a parabola.

[b]
4m/s

OR

[a] uniform circular motion always accelerated.

[b] the centripetal acceleration acting

[28] Case study

[b][ii]d [iii]a [iv]c [v]b

[29]

[i]c [ii]d [iii]b [iv]d [v]b